## MATHEMATICAL PROCESSES

There are critical components that students must encounter in a mathematics program in order to achieve the goals of mathematics education and embrace lifelong learning in mathematics.

| mathematical process | Communication [c] | Connections <br> [CN] | Mental Mathematics and Estimation [ME] | $\underset{\text { Proble Solving }}{ }$ | $\underset{\text { Reas }}{\text { Rening }}$ | $\underset{[T]}{\text { Technology }}$ | Visualization [V] |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Students are expected to | communicate in order tol learn and expresss their understanding | connect mathematical ideas to other concepts in mathematics, to everyday experiences and to other disciplines | demonstrate fluency with mental mathematics and estimation | develop and apply new mathematical knowledge through problem solving | develop mathematical reasoning | select and use technologies as tools for learning and for solving problems | $\begin{gathered} \text { develop visualization skills to to assist in } \\ \text { processing information, making } \\ \text { connections and solving problems } \\ \hline \end{gathered}$ |



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| Sub-Strand: Variables and Equations |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\xrightarrow{\text { Kenerald Outcomen }}$ ( N/A |  |  |  |  |  |  |  |  |  |
| Specific Outcome | Specific Outcome | Specific Outcome | Specific Outcome | Specific Outcome | Specific Outcome | Specific Outcome | Specific Outcome | Specific Outcome | Specific Outcome |
| It is expected that students will: | It is expected that students will: | It is expected that students will: | It is expected that students will: | It is expected that students will: | It is expected that students will: | It is expected that students will: | It is expected that students will: | It is expected that students will: | It is expected that students will: |
| N/A | 4. Describe equality as a balance and inequality as an imbalance concretely and pictorially (0 to 20). <br> [C, CN, R, V] | 4. Demonstrate and explain the meaning of equality and inequality, concretely and pictorially. <br> [C, CN, R, v] | 4. Solve one-step addition and subtraction equations involving a symbol to represent an unknown number. <br> [C, CN, PS, R, V] | Solve one-step equations involving a symbol to represent an unknown number. <br> [C, CN, PS, R, V] | 3. Solve problems involving singlevariable, one-step equations with whole number coefficients and whole number solutions. [C, CN, PS, R] | 3. Represent generalizations arising from number relationships, using equations with letter variables. <br> [C, CN, PS, R, V] | Explain the difference between an expression and an equation. [C, CN] | 2. Model and solve problems concretely, pictorially and <br> symbolically, using linear equations of the form: <br> - $a x=b$ <br> - $\frac{x}{a}=b, a \neq 0$ <br> - $a x+b=c$ <br> - $\frac{x}{a}+b=c, a \neq 0$ $\text { - } a(x+b)=c$ <br> where $\mathrm{a}, \mathrm{b}$ and c are integers. <br> [C, CN, PS, V] | $\begin{aligned} & \text { 3. Model and solve problems, using } \\ & \text { linear equations of the form: } \\ & \text { - } a x=b \\ & \text { - } \frac{x}{a}=b, a \neq 0 \\ & \text { - } a x+b=c \\ & \text { - } \frac{x}{a}+b=c, a \neq 0 \end{aligned}$ |
|  | 5. Record equalities, using the equal symbol. <br> [ $\mathrm{C}, \mathrm{CN}, \mathrm{PS}, \mathrm{V}$ ] | 5. Record equalities and inequalities symbolically, using the equal symbol or the not equal symbol. [C, CN, R, V] |  | 5. Express a given problem as an equation in which a symbol is used to represent an unknown number. [CN, PS, R] | 2. Express a given problem as an equation in which a letter variable is used to represent an unknown number (limited to whole numbers). [C, CN, PS, R] | 4. Express a given problem as an equation in which a letter variable is used to represent an unknown number. <br> [C, CN, PS, R] | 5. Evaluate an expression, given the value of the variable(s). [CN, R] |  | $\begin{aligned} & \text { - } a x=b+c x \\ & \text { - } a(x+b)=c \\ & \text { - } a x+b=c x+d \\ & \text { - } a(b x+c)=d(e x+f) \\ & \text { - } \frac{a}{x}=b, x \neq 0 \end{aligned}$ <br> where $a, b, c, d, e$ and $f$ are rational numbers. <br> [C, CN, PS, v] |
|  |  |  |  |  |  | 5. Demonstrate and explain the meaning of preservation of equality, concretely and pictorially. C, CN, PS, R, V] | 3. Demonstrate an understanding o preservation of equality by: - modelling preservation of symbolically <br> - applying preservation of equality to solve equations. <br> [C, CN, PS, R, V] |  | 4. Explain and illustrate strategies to solve single variable linear inequalities with rational coefficients within a problemsolving context [C, CN, PS, R, V] |
|  |  |  |  |  |  |  | 6. Model and solve, concretely, pictorially and symbolically, problems that can be represented y one-step linear equations of he form $x+a=b$, where $a$ and $b$ are integers <br> [CN, PS, R, V] |  | 5. Demonstrate an understanding of polynomials (limited to polynomials of degree less than or equal to 2 ). <br> [c, CN, R, v] |
|  |  |  |  |  |  |  | 7. Model and solve,concretely, problems that can be represented by linear equations of the form: <br> - $a x+b=c$ <br> - $\frac{x}{a}=b, a \neq 0$ <br> where $a, b$ and $c$ are whole |  | 6. Model, record and explain the operations of addition and subtraction of polynomial expressions, concretely, pictorially and symbolically (limited to or equal to 2 ). <br> [C, CN, PS, R, v] |
|  |  |  |  |  |  |  | [CN, PS, R, V] |  | 7. Model, record and explain the operations of multiplication and division of polynomial polynomials of degree less than or equal to 2 ) by monomials, concretely, pictorially and symbolically. $[\mathrm{C}, \mathrm{CN}, \mathrm{R}, \mathrm{v}]$ |

